## Agilent Technologies

## EducatorsCorner.com Experiments

## Experiment No. 6.

## Audio Tone Control Amplifier

By: Prof. Gabriel M. Rebeiz
The University of Michigan
EECS Dept.
Ann Arbor, Michigan

Goal: The goal of Experiment \#6 is to build and test a tone control amplifier and to study the effect of the capacitor on the corner frequency of an RC circuit.

- Read this experiment and answer the pre-lab questions before you come to the lab.


### 6.1 Treble Tone Control Amplifier:

Equipment: - Agilent E3631A Triple output DC power supply

- Agilent 33120A Function Generator
- Agilent 34401A Multimeter
- Agilent 54645A Oscilloscope

A treble tone control amplifier is shown below:


At high frequencies, when the $\mathrm{C}_{1}(2 \times 820 \mathrm{pF})$ behaves as a short-circuit, the circuit becomes:


If the $100 \mathrm{k} \Omega$ potentiometer is set at maximum boost, the gain becomes:

$$
\frac{V_{0}}{V_{i}}=-\frac{R_{2}^{\prime} \|\left(R_{p}+R_{1}^{\prime}\right)}{R_{2} \| R_{1}} \approx-10.5(20.4 d B) \text { at high frequencies. }
$$

If the $100 \mathrm{k} \Omega$ potentiometer is set at maximum cut, the gain becomes:

$$
\frac{V_{0}}{V_{i}}=-\frac{R_{2}^{\prime} \| R_{1}^{\prime}}{R_{2} \|\left(R_{p}+R_{1}\right)} \approx-0.095(-20.5 \mathrm{~dB}) \text { at high frequencies. }
$$

At any frequency, if the $100 \mathrm{k} \Omega$ potentiometer is set exactly in the middle, the circuit is perfectly symmetrical and no current passes by $\mathrm{C}_{1}$ (whatever its value). The capacitor $\mathrm{C}_{1}$ can therefore be removed from the circuit, and the gain becomes $\frac{V_{0}}{V_{i}}=\frac{-R_{2}^{\prime}}{R_{2}}=-1(0 \mathrm{~dB})$, which is the flat response over the entire frequency range.


The corner frequency, defined for max. boost/cut positions, is where the transfer function deviates from the flat response by $\pm 3 \mathrm{~dB}$. It is given by:

$$
\begin{aligned}
& f \mathrm{H}= \pm 3-\mathrm{dB} \text { frequency }=\frac{1}{2 \pi \mathrm{R}_{2} \mathrm{C}_{1}} \\
& \mathrm{fH}_{\mathrm{H}} \sim 1.0 \mathrm{kHz} \text { for } \mathrm{C}_{1}=2 \times 820 \mathrm{pF}, \quad \mathrm{R}_{2}=100 \mathrm{k} \Omega \\
& \mathrm{fH} \sim 2.0 \mathrm{kHz} \text { for } \mathrm{C}_{1}=820 \mathrm{pF}, \quad \mathrm{R}_{2}=100 \mathrm{k} \Omega
\end{aligned}
$$

The transfer function for the treble control amplifier and $\mathrm{C}_{1}=2 \times 820 \mathrm{pF}$ "looks" like:


1. Draw the circuit in your notebook.
2. Assemble the circuit on the breadboard. Do not forget to connect two $220 \mu \mathrm{~F}$ (or $470 \mu \mathrm{~F}$ ) capacitors from $+\mathrm{V}_{\mathrm{CC}}(+12 \mathrm{~V})$ to ground and from $-\mathrm{V}_{\mathrm{Cc}}(-12 \mathrm{~V})$ to ground for noise cancellation. Show your completed circuit to your lab instructor before applying the voltage from the power supply.
3. Check the DC voltages at $\mathrm{V}^{-}, \mathrm{V}^{+}$and $\mathrm{V}_{0}$ terminals. They should be in the mV level.
4. Set the Agilent 33120A function generator to 400 mV ppk with a frequency of 20 kHz and connect it to the amplifier.
Connect $\mathrm{V}_{\mathrm{S}}$ to channel 1 and $\mathrm{V}_{0}$ to channel 2 of the scope.
5. Vary the $100 \mathrm{k} \Omega$ potentiometer and measure $\mathrm{V}_{0} / \mathrm{V}_{\mathrm{S}}$. Make sure that you have a gain around $\pm 20 \mathrm{~dB}$ at 20 kHz . Find the position of the potentiometer which results in a gain of 0 dB (gain $=-1$ ) at 20 kHz .
6. Measure the frequency response (amplitude and phase) from $50 \mathrm{~Hz}-100 \mathrm{kHz}$ (50, $100,200, \ldots \mathrm{~Hz}$ ) at the three gain settings shown below:

## Gain Settings:

- Maximum Boost $(|G| \simeq 10)$ - Use $\mathrm{V}_{\mathrm{S}}=400 \mathrm{mV}$ ppk
- Maximum cut $(|G| \simeq 0.1)$ - Use $\mathrm{V}_{\mathrm{S}}=1 \mathrm{~V}$ ppk
- Flat response $(|G| \simeq 1)$ (just take few points only). Use $\mathrm{V}_{\mathrm{S}}=1 \mathrm{~V}$ ppk.

Phase Measurement:
To measure the phase delay between the input and output signals, display both signals on the screen in time domain and use the Phase softkey (phase $1 \rightarrow 2$ ) under the Measure Time menu.

For the maximum boost and for the maximum cut settings, calculate the $3-\mathrm{dB}$ corner frequency $(\mathrm{fH})$ from the measured data.
7. Remove one of the 820 pF capacitors $\left(\mathrm{C}_{1}=820 \mathrm{pF}\right.$ now $)$ and repeat 6 for maximum boost setting (amplitude only). What do you notice? Comment.
8. Put the 820 pF capacitor back into the circuit, $\mathrm{C}_{1}=2 \mathrm{x} 820 \mathrm{pF}$ ( $\mathrm{fH} \sim 1 \mathrm{kHz}$ ), set the Agilent 33120A function generator to deliver an 800 Hz square-wave with $V_{p p k}=600$ mV . Measure the input waveform $\left(\mathrm{V}_{\mathrm{S}}\right)$ in frequency domain and note the fundamental and harmonic values (up to $11 f_{0}-6$ measurement points).

Note: Do not measure any even harmonics. These are aliases and you need to check your scope FFT settings.

Be careful: these measurements should be done on the input signal, thus Operand is 1 .
9. $\square$ Measure and sketch accurately the output voltage $\left(\mathrm{V}_{0}\right)$ in time domain and frequency domain (up to $11 \mathrm{f}_{0}$ ) for the maximum boost and for the maximum cut settings (Make sure that you are not clipping or driving the scope into saturation.).

Be careful: these measurements should be done on the output signal; thus Operand is 2 .

Comment on your measurements.

### 6.2 Bass Tone-Control Amplifier:

DO NOT BUILD THIS CIRCUIT. I AM INCLUDING IT HERE FOR COMPLETENESS.
A bass tone control amplifier is shown below:


- Max. boost $=\frac{-R_{2}^{\prime} \|\left(R_{p}+R_{1}^{\prime}\right)}{R_{2} \| R_{1}}=-10.5 \quad \mathrm{f}$ is very low
(capacitor is open-circuited)
- Max. Cut $=\frac{-R_{2}^{\prime} \| R_{1}^{\prime}}{R_{2} \|\left(R_{p}+R_{1}\right)}=0.095 \quad f$ is very low
(capacitor is open-circuited)
- Corner frequency at max. boost/cut settings: $f \mathrm{~L}=\frac{1}{2 \pi \mathrm{R}_{1} \mathrm{C}_{1}}$
$R_{1}=5.1 \mathrm{k} \Omega$
$C_{1}=42 \mathrm{nF}$
$=750 \mathrm{~Hz}$
- If the potentiometer is set exactly in the middle, then no current passes by $\mathrm{C}_{1}$ (whatever its value) and we get a flat response ( $|\mathrm{G}| \simeq 1$ ) over the entire frequency range.

The transfer function for the bass control amplifier and $\mathrm{C}_{1}=42 \mathrm{nF}$ "looks" like:


## Experiment No. 6.

## Audio Tone Control Amplifier

## Pre-Lab Assignment

1. Derive $\mathrm{V}_{0} / \mathrm{V}_{\mathrm{i}}$ ( not $\mathrm{V}_{0} / \mathrm{V}_{\mathrm{s}}$ ) for the treble control amplifier at max. boost/cut settings and high frequencies ( $>20 \mathrm{kHz}$, capacitor is short-circuited). The answer is given in the lab assignment.
Derive now $\mathrm{V}_{\mathrm{i}} / \mathrm{V}_{\mathrm{S}}$ and then calculate $\mathrm{V}_{0} / \mathrm{V}_{\mathrm{S}}$.
2. The circuit at maximum boost setting is shown below. Using nodal analysis at nodes A, B, determine the transfer function $\frac{\mathrm{V}_{\mathrm{o}}}{\mathrm{V}_{\mathrm{i}}}(\omega)$.


Note, in order to get a simple and elegant answer, you should make some "accurate" assumptions (to within a few percent):

$$
\begin{aligned}
& R_{p}+R_{1} \simeq R_{p} \text { since } R_{p} \gg R_{1} \\
& \mathrm{R}_{\mathrm{p}}+\mathrm{R}_{1}^{\prime} \simeq \mathrm{R}_{\mathrm{p}} \text { since } \mathrm{R}_{\mathrm{p}} \gg \mathrm{R}_{1}^{\prime} \\
& \mathrm{R}_{1} \| \mathrm{R}_{2} \simeq \mathrm{R}_{1} \text { since } \mathrm{R}_{2} \gg \mathrm{R}_{1} \\
& \mathrm{R}_{2}^{\prime} \|\left(\mathrm{R}_{\mathrm{p}}+\mathrm{R}_{1}^{\prime}\right) \simeq \mathrm{R}_{2}^{\prime} / 2 \text { since } \mathrm{R}_{2}^{\prime} \simeq \mathrm{R}_{\mathrm{p}}+\mathrm{R}_{1}^{\prime}
\end{aligned}
$$

a. Put the transfer function $\frac{\mathrm{V}_{\mathrm{o}}}{\mathrm{V}_{\mathrm{i}}}(\omega)$ in the form:

$$
\frac{\mathrm{V}_{\mathrm{o}}}{\mathrm{~V}_{\mathrm{i}}}(\omega)=\mathrm{H}(\omega)=(\mathrm{A}) \frac{1+\mathrm{j}\left(\omega / \omega_{1}\right)}{1+\mathrm{j}\left(\omega / \omega_{2}\right)}
$$

A, $\omega_{1}, \omega_{2}=$ constants to be determined
$\omega 1 \equiv$ zero of transfer function
$\omega_{2} \equiv$ pole of transfer function
b. Derive $|H(\omega)|$, the magnitude of $H(\omega)$.
c. Derive the phase of $\mathrm{H}(\omega)$.
d. Using the component values given above. Make MATLAB plots of the magnitude $|H(\omega)|$ and the phase of the transfer function from 10 Hz to 100 kHz . Use a log-scale for the frequency axis, and a dB scale for the transfer function magnitude ( -10 to +30 dB ). Express the phase in degrees.

## Experiment No. 6. Audio Tone Control Amplifier

## Lab-Report Assignment

1. Using MATLAB, plot the magnitude in dB and phase in degrees of the transfer function $\mathrm{H}(\omega)=$ $\left(\mathrm{V}_{\mathrm{o}} / \mathrm{V}_{\mathrm{S}}\right)$ from 50 Hz to100 kHz for $\mathrm{C}_{1}=2 \times 820 \mathrm{pF}$ and the 3 measured treble gain settings $(|\mathrm{G}| \simeq$ $10,|G| \simeq 0.1,|G| \simeq 1$ ). For each case, determine the $3-\mathrm{dB}$ corner frequency. (You may use the subplot command in MATLAB to get two plots vertically on the same page). On the same plots, show the theoretical curves for magnitude and phase which you derived in the pre-lab (you may use the hold command in MATLAB). Comment on the agreement between theory and experiment.
2. Using MATLAB, plot the magnitude of the transfer function $\mathrm{H}(\omega)=\left(\mathrm{V}_{\mathrm{o}} / \mathrm{V}_{\mathrm{s}}\right)$ for max. boost setting (only) from 50 Hz to 100 kHz for $\mathrm{C}_{1}=820 \mathrm{pF}$ and $\mathrm{C}_{1}=2 \times 820 \mathrm{pF}$. Determine the $3-\mathrm{dB}$ corner frequency of each case. Comment on the difference between these frequencies.
3. The tone control amplifier can be represented as a block diagram with a transfer function, $H(\omega)$ in frequency domain.


$$
\begin{aligned}
& \frac{V_{0}}{V_{s}}(\omega)=H(\omega) \\
& V_{0}(\omega)=H(\omega) \cdot V_{s}(\omega) \quad(\text { Phasor multiplication }) \\
& \text { Which means: Amplitude: } V_{0}(d B)=H(\omega)(d B)+ \\
& V_{S}(d B)
\end{aligned}
$$

$$
\text { Phase: } \quad \angle V_{0}=\angle H(\omega)+\angle V_{s}
$$

$V_{S}(\omega)=$ Input signal (in frequency domain).
$H(\omega)=$ Measured transfer function of the treble control circuit (in frequency domain, $d B$ and degrees).
$V_{0}(\omega)=$ Output signal (in frequency domain).
3.1 Calculate the input spectrum (up to 11 fo -amplitude and phase) of an 800 Hz square wave with $V_{p p k}=600 \mathrm{mV}$ ppk (you know how to calculate this using Fourier Series).
3.2 Using the measured transfer function $H(\omega)$ (plotted in problem 1) and the spectrum of $\mathrm{V}_{\mathrm{i}}$ (calculated in 3.1), calculate the output spectrum (up to $11 \mathrm{f}_{0}$ - amplitude and phase) at max. boost and max. cut settings.
3.3. Compare the calculated output spectrum (up to $11 \mathrm{f}_{0}$ - amplitude only) for max. boost and max. cut positions with the measured values in the lab.
3.4 Knowing the amplitude and phase information of $\mathrm{V}_{0}(\omega)$ (obtained in 3.2), and using MATLAB for the sine-wave addition, calculate $\mathrm{V}_{0}(\mathrm{t})$ for the max. boost and max. cut positions. (Do not ignore the phase, it is very important!). Compare your results with the time-domain measurements of $\mathrm{V}_{0}(\mathrm{t})$ done in the lab.

Explain why at max. boost there are sharp peaks in the output waveform, and why at max. cut, there are slow rising edges in the output waveform.

# Experiment No. 6. <br> Audio Tone Control Amplifier 

## Worksheet/Notes

Treble Control Amplifier



## Experiment No. 6. <br> Audio Tone Control Amplifier

## Worksheet/Notes

Bass Control Amplifier


## Open Audio Lab

In this Open Audio Lab, you'll do some really cool things! From the circuits you've built in Experiments \#4 and \#6, and the circuit that you tested in Experiment \#3, you'll assemble a working audio system and listen to your favorite music from your CD player.

The lab instructor will demonstrate a similar circuit built for the left- and right-channels for stereo sound, as shown in the diagram below:


BRING YOUR FAVORITE CD and listen to it, mix your voice with music and create weird sound effects.

Enjoy


Gabriel M. Rebeiz
December 11, 1997

## Appendix A <br> Color Coding of Resistors/Capacitors

| Color | Significant <br> Figure | Decimal <br> Multiplier (10*) |
| :--- | :---: | :---: |
| Black | 0 | 1 |
| Brown | 1 | 10 |
| Red | 2 | 100 |
| Orange | 3 | 10,000 |
| Yellow | 4 | 100,000 |
| Green | 5 | $1,000,000$ |
| Blue | 6 | $10,000,000$ |
| Violet | 7 | $100,000,000$ |
| Gray | 8 | 0.1 |
| White | 9 | $1,000,000,000$ |
| Gold | - | 0.01 |
| Silver | - | - |
| No Color | - |  |



$$
\mathrm{R}=\mathrm{AB} \times 10^{\mathrm{C}} \% \mathrm{D}
$$

| Standard Resistance Values |
| :---: |
| $1.0,1.2,1.5,1.8,2.0,2.2,2.4,2.7,3,3.3,3.6$, |
| $3.9,4.3,4.7,5.1,5.6,6.2,6.8,7.5,8.2,9.1$ |


| Axial Leads | Color |
| :---: | :--- |
| A | Indicates first significant figure of resistance value in ohms. |
| B | Indicates second significant figure. |
| C | Indicates decimal multiplier. |
| D | If any, indicates tolerance in percent about nominal resistance value. <br> If no color appears in this position, tolerance is 20\%. A gold band <br> means a 5\% tolerance, and a silver band means a 10\% tolerance. |


| Examples: | $R=2.2 \mathrm{k} \Omega$ | Red, Red, Red | $\left(22 \times 10^{2}\right)$ |
| :--- | :--- | :--- | :--- |
|  | $\mathrm{R}=1.0 \mathrm{k} \Omega$ | Brown, Black, Red | $\left(10 \times 10^{2}\right)$ |
|  | $\mathrm{R}=100 \mathrm{k} \Omega$ | Brown, Black, Yellow | $\left(10 \times 10^{4}\right)$ |
|  | $\mathrm{R}=560 \Omega$ | Green, Blue, Brown | $\left(56 \times 10^{1}\right)$ |
|  | $\mathrm{R}=47 \Omega$ | Yellow, Violet, Black | $\left(47 \times 10^{0}\right)$ |

